

Traversal (Linked List)

Procedure INSERT (INFO, LINK, START)

- 1) check for underflow condition
If $(START = NULL)$, then write "Empty List"
- 2) Initialization of traversal
 $T = START$
- 3) Repeat step 4 while $LINK[T] \neq NULL$
- 4) Write $INFO[T]$
 $T = LINK[T]$
- 5) Return.

Insertion

Procedure INSPRONT (INFO, LINK, START, AVAIL, X)

- ① check for the overflow condition
If $AVAIL = NULL$, then write "Memory overflow"
- ② Allocate memory
 $AV \leftarrow NODE$
- ③ Insert the new item at the avail node.
 $INFO[AV] = X$
 $LINK[AV] = START$
 $START = AV$
- ④ Return.

Procedure INLAST (INFO, LINK, START, X)

- ① Create a new node called avail.
 $AV \leftarrow NODE$
- ② Insert new item x at the info of AV
 $INFO[AV] = X$
 $LINK[AV] = NULL$
- ③ If $(START = NULL)$ Then $START = AV$ Return

④ If (START $\neq$ NULL) Then

T = START

While LINK[T] $\neq$ NULL

T = LINK[T]

⑤ LINK[T] = AV

6 Return

Procedure INLAST (INFO, LINK, START, X)

1) Create a new node called AVAIL

AV $\leftarrow$ NODE

2) Insert new item X at the End of AV

INFO[AV] = X

LINK[AV] = NULL

3) If (START = NULL) Then START = AV Return

4) Traversal of linked list to last position

If (START $\neq$ NULL) Then

T = START

While LINK[T] $\neq$ NULL

T = LINK[T]

5) LINK[T] = AV

6) Return.

Insert after nth node

Procedure INSATERN (START, N, X)

1) Create a new node called avail.

AV $\leftarrow$ NODE

2) Insert the new node ~~after~~ at the avail.

INFO[AV] = X

3) If (START = NULL), Then write "empty list" -

4) $T = \text{START}$

5) $C = 1$

6) Check the position while $(C \leq N)$ and $\text{LINK}[T] \neq \text{NULL}$

$T = \text{LINK}[T]$

$C = C + 1$ (Increment of loop counter)

7) If $(\text{LINK}[T] = \text{NULL} \text{ and } C \neq N)$

then write "the node is absent" (checking the presence of n th node)

else

$P = \text{LINK}[T]$

8) Insertion of the new node.

$\text{LINK}[T] = \text{AV}$

9) $\text{LINK}[\text{AV}] = P$

10) Return.

Insertion of a new node after a node that contains the value D.

1) Create a new node.

$\text{AV} \leftarrow \text{NODE}$

2) Insert the new item x at the $[\text{INFO}[\text{AV}]]$

$\text{INFO}[\text{AV}] = x$

3) If $(\text{START} = \text{NULL})$, Then write "empty list".

4) Traversal All the link node contains the value of D.

$T = \text{START}$

While $\text{LINK}[T] \neq \text{NULL}$ and $\text{INFO}[T] \neq D$

$T = \text{LINK}[T]$

5) (Checking the presence of the node D.)

If $\text{LINK}[T] = \text{NULL}$ and $\text{INFO}[T] \neq D$, then the node is absent

else

$P = \text{LINK}[T]$

$\text{LINK}[T] = \text{AV}$

$\text{LINK}[\text{AV}] = P$

6) Return.

DELETE FIRST (START, INFO, LINK, X)

- 1) IF (START = NULL) then write "Empty List".
Return (checking underflow condition)
- 2) Assign the start node to a variable T.
 $T = START$
- 3) Delete the front node.
 $START = LINK[START]$
- 4) Return T.

DELETE LAST - DELLAST (START, INFO, LINK, X)

- 1) IF (START = NULL) then write "Empty List".
(Check the underflow condition)

- 2) [Traversal to last]

IF $LINK[START] = NULL$, then $P = START$

$START = NULL$

Return info.

(If there's only one node)

- 3) Else

$PREVIOUS = START$

$T = LINK[START]$

- 4) Traversal till the last node

$PREVIOUS = T$

$T = LINK[T]$

- 5) Delete the last node

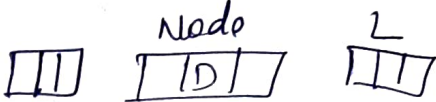
$LINK[PREV] = NULL$

- 6) Return.

Double Linked List

Procedure LEFTMOST (D)

1) Allocate the memory for new node.
 $NODE \leftarrow AVAIL$

2) Update the new node. 

$L LINK [NODE] = NULL$

$R LINK [NODE] = L$

3) $L LINK [L] = NODE$

4) $L = NODE$

5) Return.

Procedure INSRIGHTMOST (D)

1) $NODE \leftarrow AVAIL$

$INFO [NODE] = D$

(Allocate memory for new node)

2) (Update the new node)

$L LINK [NODE] = R$

$R LINK [NODE] = NULL$



3) $R LINK [R] = NODE$

4) $R = NODE$

5) Return.

Insert to the right of a node which contains the value D.

1) If $L = R = NULL$, Then "Empty list".



2) $AV \leftarrow NODE$

$INFO [AV] = X$

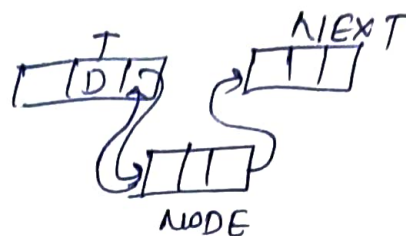
3) While ~~$INFO [T] \neq D$~~ and $INFO [T] \neq D$ and $R LINK [T] \neq NULL$

~~the required desired node is absent.~~ $T = R LINK [T]$

4) If $INFO [T] \neq D$ and $R LINK [T] = NULL$, Then the desired node is

absent

5) i) If $INFO[T] = D$ and $L = R$
 Then $L LINK [NODE] = T$
 $R LINK [T] = NODE$
 $R = NODE$



(ii) If $INFO[T] = D$ and $L \neq R$ i.e. $L = T$
 Then $NEXT = R LINK [T]$
 $R LINK [T] = NODE$
 $L LINK [NODE] = T$
 $R LINK [NODE] = NEXT$
 $L LINK [NEXT] = NODE$

6) Return.

DELLEFT (L, R)

Leftmost node

1) If $L = R = NULL$, Then write the list is empty.
 (Underflow condition checking)

2) If $L = R$ Then $T = L$

$L = R = NULL$

Return

3) Else $T = L$

$L = R LINK [L]$

$L LINK [L] = NULL$

Return T

Rightmost node

1) If $L = R = NULL$, Then write empty list

2) If $L = R$ Then $T = L$

$L = R = NULL$

3) Else $T = R$

$R = L LINK [R]$

4) $R LINK [R] = NULL$
 Return



Deletion of node contains value D.

- 1) (Check the underflow condition) 

If $(L=R= \text{NULL})$ - then write "Empty List".
- 2) If $L=R$ and $\text{INFO}[L] = D$ then $T=L$
 $L=R= \text{NULL}$ Return.
- 3) While $\text{INFO}[T] \neq D$ and $R \text{ LINK}[T] \neq \text{NULL}$
 $T = R \text{ LINK}[T]$
- 4) ~~While~~ If $\text{INFO}[T] \neq D$ and $R \text{ LINK}[T] = \text{NULL}$
 then the desired node is absent.
- 5) Else

$\text{INFO}[T] = D$

then $\text{PREV} = L \text{ LINK}[T]$

$\text{NEXT} = R \text{ LINK}[T]$

$R \text{ LINK}[\text{PREV}] = \text{NEXT}$

$L \text{ LINK}[\text{NEXT}] = \text{PREV}$

Return T .

Deletion of node after the node containing value D

- 1) Check the underflow condition.
 If $(L=R= \text{NULL})$ then write "Empty List".
- 2) If $L=R$ and $\text{INFO}[L] = D$ Then $T=L$
 $L=R= \text{NULL}$ Return.
- 3) While $\text{INFO}[T] \neq D$ and $R \text{ LINK}[T] \neq \text{NULL}$
 $T = R \text{ LINK}[T]$
- 4) If $\text{INFO}[T] \neq D$ and $R \text{ LINK}[T] = \text{NULL}$
 then the desired node is absent.
- 5) Else

$\text{INFO}[T] = D$

~~R LINK[T]~~ $\text{NEXT} = R \text{ LINK}[T]$

$\text{NEXT NEXT} = R \text{ LINK}[\text{NEXT}]$



R LINK [T] = NEXT NEXT

Let LINK [NEXT NEXT] = T

Rehren T.

Delete the node before the node containing the value 1.

1) Check the underflow condition.

If ($L = R = \text{NULL}$) Then write "Empty List".
If $L = R$ and $L \neq \text{NULL}$ then write "Circular List".

2) If $L = R = \text{NULL}$ then write "Empty"
If $L = R$ and $\text{INFO}[L] = D$ then $T = L$
If $L = R = \text{NULL}$ then

$L = R = \text{NULL}$ Return.

3) While $R = \text{NULL}$ Return.
 $T = \text{INFO}[T] \neq 0$ and $R \text{ LINK}[T] \neq \text{NULL}$
 $T = R \text{ LINK}[T]$

$T = R \text{ LINK}[T] \neq \text{NULL}$ and $R \text{ LINK}[T] \neq \text{NULL}$

4) IF INFO[T] $\neq$ D and R LINK[T] = NULL
then the desired node is absent.

5) Else

INFO [T] = D



PREV 2 L LINK [T]

PREV PREV = L LINK [PREV]

$L \text{ LINK}[T] = \text{PREV PREV}$

R LINK [PREV PREV] → T

Return.

Procedure Binary Tree Traversal Recursive algorithm

① RINORDER (T) : LDR

If (T $\neq$ NULL) then

{

call RINORDER (L CHLD [T])

PRINT INFO [T]

call RINORDER (R CHLD [T])

}

② R PREORDER (T) : DLR

If (T $\neq$ NULL), then

{

PRINT INFO [T]

call RPREORDER (L CHLD [T])

call RPREORDER (R CHLD [T])

}

③ RPOSTORDER (T) : LRD

If (T $\neq$ NULL), Then

{

call RPOSTORDER (L CHLD [T])

call RPOSTORDER (R CHLD [T])

PRINT INFO [T]

}

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